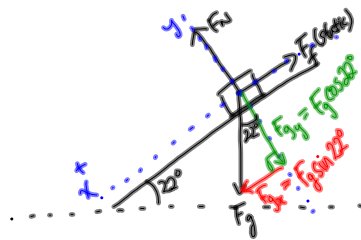


More Inclines

mpl/471

- $m = 84 \text{ kg}$
- $\theta = 22^\circ$
- $\mu_s = 0.47$
- $\mu_k = 0.25$

- a) will it slide down?
- b) if yes, $a = ?$
- c) if no, $F_a = ?$ (uphill)
- d) $a = ?$, if still using F_a



a) To see if the crate slides down the hill, we need to see if $F_{gx} \geq F_f$ (static)

$$F_{gx} = F_g \sin \theta \qquad F_f = \mu F_n$$

$$F_{gx} = mg \sin \theta \qquad F_f = \mu F_{gy}$$

$$F_{gx} = (84 \text{ kg})(9.8 \text{ m/s}^2) \sin 22^\circ \qquad F_f = \mu F_g \cos \theta$$

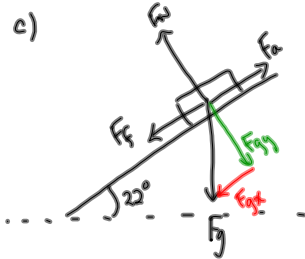
$$F_{gx} = 308.69 \text{ N} \qquad F_f = \mu mg \cos \theta$$

Since $F_{gx} < F_f$ (static), the crate will not slide down the hill.

$$F_f = (0.47)(84 \text{ kg})(9.8 \text{ m/s}^2) \cos 22^\circ$$

$$F_f = 359.10 \text{ N}$$

b) N/A



If you want the crate to just start moving then

$$F_a = F_f(\text{static}) + F_{gx}$$

$$F_a = 359.10 + 308.69$$

$$F_a = 667.79 \text{ N}$$

$$F_a = 6.7 \times 10^2 \text{ N (sd)}$$

d) If you continue to apply 667.79 N , what will be the acceleration?

$$F_f(\text{kinetic}) = \mu_k F_n$$

$$F_f = \mu_k mg \cos \theta$$

$$F_f = (0.25)(84 \text{ kg})(9.8 \text{ m/s}^2) \cos 22^\circ$$

$$F_f = 191.01 \text{ N}$$

$$\vec{F}_{\text{net}} = m\vec{a}$$

$$F_a - (F_f + F_{gx}) = ma$$

$$667.79 \text{ N} - (191.01 \text{ N} + 308.69 \text{ N}) = (84 \text{ kg})a$$

$$667.79 \text{ N} - 499.70 \text{ N} = (84 \text{ kg})a$$

$$168.09 \text{ N} = (84 \text{ kg})a$$

$$a = 2.0 \text{ m/s}^2$$

↑
uphill

TO DO:

- ① Lab
- ② PP/474-475

Determining g on an Incline

- Preliminary Questions
- Data/Observations
 - Sample graphs (d-t, v-t with slope) - identify the trial.
 - data table
- Analysis
 - 1 + 2 → show ^{sample} calculation
 3. Insert GA graph (show LOBF + extrapolated value)
 4. Write equation → use appropriate variables
 5. State the acc when $\sin \theta = 1$
 6. % error = $\frac{\text{exp} - \text{true}}{\text{true}} \times 100\%$
 - 7 + 8 N/A
 9. is extrapolation valid?
- Extensions 1 + 2
 - 3 (ADV) - estimate a value for μ_k

DUE THURS - OCT 11